

## SSC CHSL Percentage Quick Maths Formulas

1. **Percentage = [Value / Total Value \* 100]**
2. If two values are respectively x% and y% more than a third value, then the first is the  **$(100+x) / (100+y) * 100\%$**  of the second.
3. If A is x% of C and B is y% of C, then A is  **$x/y * 100\%$**  of B.
4. x% of quantity is taken by the first, y% of the remaining is taken by the second and z% of the remaining is taken by third person. Now is A is left in the fund then there was  **$(A * 100 * 100 * 100) / (100-x) (100-y) (100-z)$**  in the beginning.
5. x% of quantity is added. Again y% of increased quantity is added. Again z% of the increased quantity is added. Now, it becomes A, then the initial amount is given by  **$(A * 100 * 100 * 100) / (100+x) (100+y) (100+z)$**
6. If the original population of a town is P and the annual increase is r%, then the population in n years will be –

$$P + P * r / 100 = P * (1 + r / 100)$$

7. The population of a town is P. It increases by x% during the 1<sup>st</sup> year, increases by y% during the 2<sup>nd</sup> year and again increases by z% during the third year. Then, the population after 3 years will be -

$$P \cdot (100+x)(100+y)(100+z) / 100 \cdot 100 \cdot 100$$

8. When the population decreases by y% during the 2<sup>nd</sup> year, while for the 1<sup>st</sup> and 3<sup>rd</sup> years, it follows the same, the population after 3 years will be –

$$P \cdot 100+x)(100-y)(100+z) / 100 \cdot 100 \cdot 100$$

9. If the price of a commodity increases by r%, then the reduction in consumption so as not to increase the expenditure, is  $(r/100+r) * 100\%$
10. If the price of a commodity decreases by r%, then the increase in consumption so as not to decrease the expenditure, is  $(r/100-r) * 100\%$
11. If the first value is r% more than the second value, then the second is  $(r/100+r) * 100\%$  less than the first value.

12. If the first value is  $r\%$  less than the second value, then the second is  $(r/100-r)$  \* **100%** more than the first value.
13. If the value of a number is first increased by  $x\%$  and later decreased by  $x\%$ , the **net change is always a decrease which is equal to  $x\%$  of  $x$  or  $x^2/100$ .**
14. If the value of a number is first increased by  $x\%$  and later decreased by  $y\%$ , then there is  **$[x-y-(x*y/100)]$  %** increase or decrease, according to the =ve or –ve sign respectively.
15. If the order of increase and decrease is changes, the result remain unaffected.
16. If the value is increased by  $x\%$  and  $y\%$  then the final increase is  **$[x+y+(x*y/100)]$  %**.
17. If the price of a commodity is diminished by  $x\%$  and its consumption is increased by  $y\%$
- Or
- If the price of a commodity is increased by  $x\%$  and its consumption is decreased by  $y\%$
- Then the effect on revenue is =  **$[\text{Inc. \% Value} - \text{Dec. \% Value} - (\text{Inc. \% Value} * \text{Dec. \% Value}/100)]$ .**

18. The passing marks in an examination is  $x\%$ . If a candidate who scores  $y$  marks, fails by  $z$  marks, then the max marks –

$$M = 100*(y+z)/x.$$

19. A candidate scoring  $x\%$  in an exam fails by 'a' marks, while another candidate who scores  $y\%$  marks gets 'b' marks more than the min required pass marks. Then the max marks for the exam are -

$$M = 100*(a+b) / (y-x).$$

20. In measuring the sides of rectangle, one side is taken  $x\%$  in excess and the other  $y\%$  in deficit. The error % in area calculated from the measurement is  $[x - y - (x*y/100)]$ .

21. If the sides of triangle, rectangle, square, circle, rhombus are increased by  $x\%$ , then its area is increased by  $[x * (x+200) / 100] \%$  or  $[2*x + (x^2/100)] \%$ .

22. In an exam  $x\%$  students failed in English and  $y\%$  students failed in Maths. If  $z\%$  of students failed in both,

Then the % of passed students in both subjects is =  $100 - (x + y - z)$  or  $(100-x) + (100-y) + z$ .